

The Atmosphere

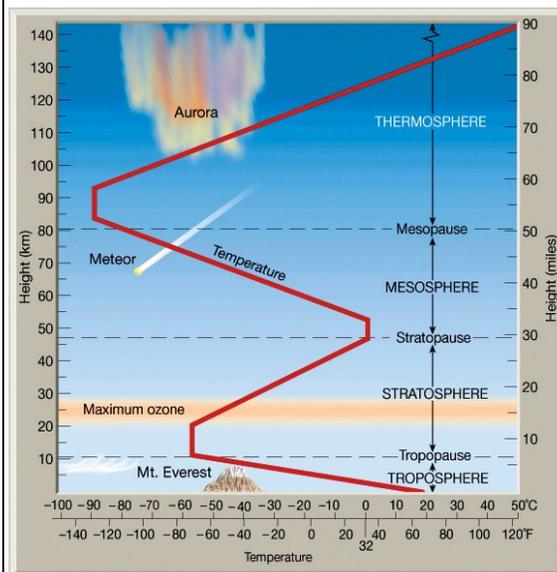


August 30, 1984



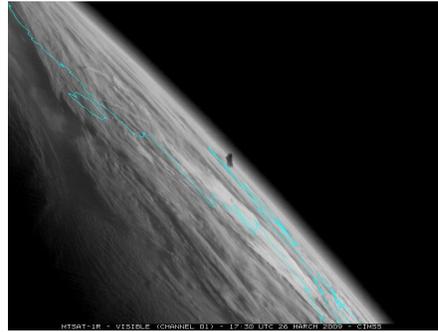
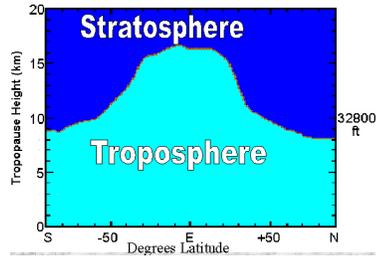
August 8, 1991

Atmospheric structure



- Atmospheric layers defined by changes in temperature
- **Troposphere** – contains 75% of atmospheric gases; temperature decreases with height
- **Tropopause** – boundary between troposphere and stratosphere; location of the jet stream
- Tropopause altitude varies from ~8 km (Poles) to ~17 km (Tropics)
- **Stratosphere** – contains the ozone layer, which causes the temperature to increase
- **Thermosphere**: highly energetic solar radiation (UV, X-rays) absorbed by residual atmospheric gases

Tropopause altitude

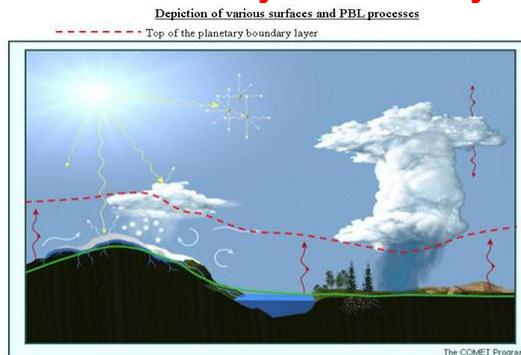


Cumulonimbus cloud over Africa
(photo from International Space Station)

- Tropopause altitude is dependent on latitude – it is highest in the tropics where convection is strong
- The tropopause is not a ‘hard’ boundary – it can be defined thermally, dynamically or chemically



Planetary boundary layer (PBL)



- PBL height
300 m – 3 km
- Influenced by convection
 - Varies diurnally

- The PBL is the lowest part of the atmosphere – directly influenced by contact with the planetary surface
- Responds to changes in surface forcing rapidly (hours)
- Quantities such as flow velocity, temperature, moisture show rapid variations (turbulence) and vertical mixing is strong
- PBL winds are affected by surface drag, as opposed to winds in the ‘free troposphere’ above which are determined by pressure gradients

Atmospheric pressure

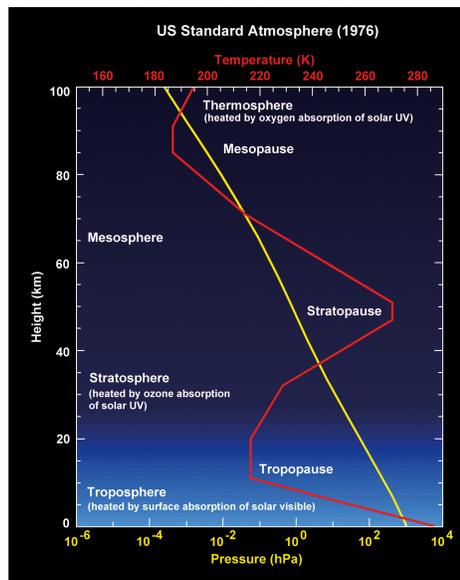
Hypsometric equation

$$h = \frac{RT}{g} \ln \left[\frac{P_1}{P_2} \right]$$

h = layer thickness (m)
 R = ideal gas constant ($8.314 \text{ J K}^{-1} \text{ mol}^{-1}$)
 T = temperature (K)
 g = gravitational acceleration (9.81 m s^{-2})
 P = pressure (Pa)

- Atmospheric pressure is the weight of the gases surrounding the earth. It is a function of height, density and gravity.
- Energy (motion) at the molecular level creates atmospheric pressure and prevents the atmosphere from collapsing on itself
- At ground level it is recorded as 101.32 kilopascals (kPa) ; equal to 14.7 lbs. per sq. inch or 760 mm Hg (also 1 atmosphere, 1 bar, 1000 millibars etc.)
- Atmospheric pressure decreases exponentially with altitude: at 18,000 ft. (~6 km) it is halved and at 33,000 ft., (~11 km) quartered
- Note that in water atmospheric pressure doubles at a depth of 33 ft

The Standard Atmosphere

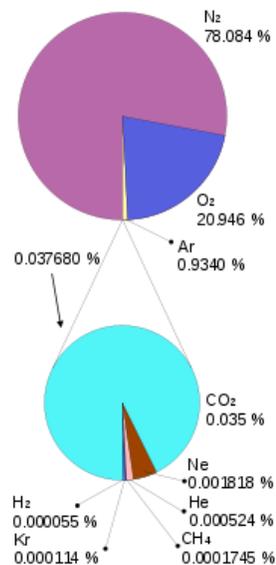


- Standard (or model) atmospheres facilitate comparison of radiative transfer models
- They represent 'typical' atmospheric conditions for a particular region/season
- Used whenever an actual *sounding* (measurement of the atmospheric state) is not available
- At least **7 standard model atmospheres** are in common use: *tropical* (warm, humid, high tropopause), *midlatitude summer*, *midlatitude winter*, *subarctic summer*, *subarctic winter*, *arctic summer* and *arctic winter* (cold, dry, low tropopause)

Atmospheric composition

Composition of dry atmosphere, by volume

Nitrogen (N ₂)	78% (780,840 ppmv)
Oxygen (O ₂)	21% (209,460 ppmv)
Argon (Ar)	0.93% (9340 ppmv)
Carbon dioxide (CO ₂)	0.04% (383 ppmv)
Neon (Ne)	0.002%
Helium (He)	0.0005%
Methane (CH ₄)	0.0001%
Krypton (Kr)	
Hydrogen (H ₂)	
Nitrous oxide (N ₂ O)	0-0.07 ppmv
Ozone (O ₃)	
Water vapor (H ₂ O)	1-4% at surface



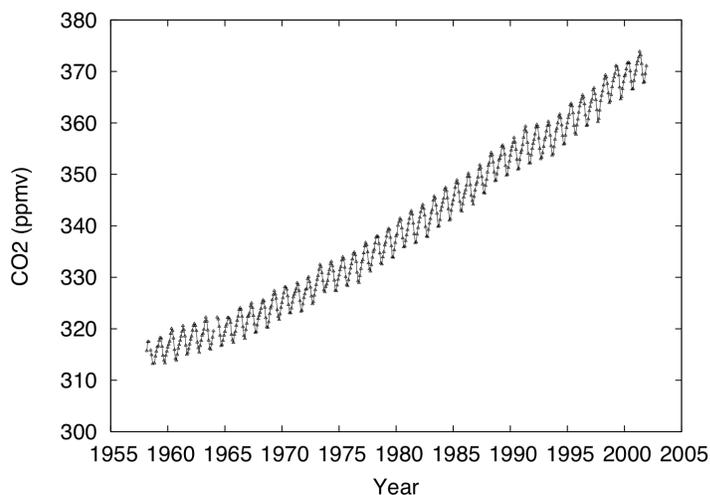
ppmv = parts per million by volume = volume mixing ratio

Trace constituents

Chemical Species	Concentrations	
	mol/mol	Other units
Carbon monoxide	$(0.1-20) \times 10^{-6}$	100 ppb to 20 ppm
Methane	1.72×10^{-6}	1.72 ppm
Ozone	$(1-100) \times 10^{-9}$	1-100 ppb
Nitric oxide (NO)	$(0.005-1) \times 10^{-9}$	5 ppt-1ppb
Nitrogen dioxide (NO ₂)	$(1-150) \times 10^{-9}$	1-150 ppb
Nitrous oxide (N ₂ O)	310×10^{-9}	310 ppb
Ammonia (NH ₃)	$(0-0.5) \times 10^{-9}$	0-0.5 ppb
Sulfur dioxide (SO ₂)	$(1-100) \times 10^{-9}$	1-100 ppb
CFC13 (Freon 11)	0.2×10^{-9}	200 ppt
CF ₂ Cl ₂ (Freon 12)	0.35×10^{-9}	350 ppt

Some atmospheric trace gases of environmental significance

CO₂ concentrations



Measurements of atmospheric carbon dioxide at Mauna Loa Observatory, Hawaii
(Keeling curve)

The Ozone Layer

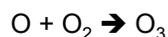
- The stratospheric ozone layer is a consequence of molecular *photodissociation*

- UV-C radiation dissociates molecular oxygen:



- The large amount of oxygen in the atmospheric column absorbs most solar radiation at $\lambda < 0.24 \mu\text{m}$ by this mechanism

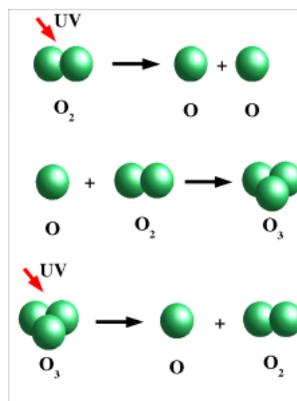
- The free oxygen atoms from the above reaction then combine with other O₂ molecules to produce ozone:



- Ozone is then dissociated by UV radiation:



- Ozone is also destroyed by this reaction:



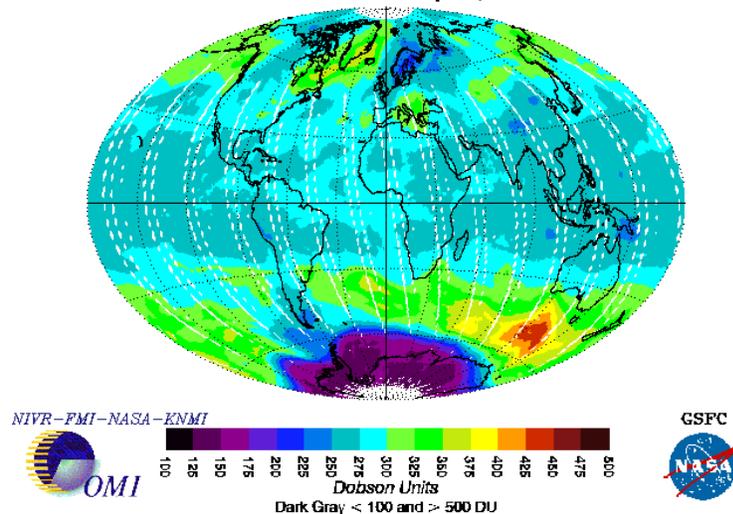
The Chapman
Reactions

The Ozone Layer

- Fortunately for life on Earth, ozone absorbs strongly between 0.2 and 0.31 μm via electronic transitions – removing most UV-B and UV-C not absorbed by O_2
 - UV-A radiation ($\lambda > 0.32 \mu\text{m}$) is transmitted to the lower atmosphere
 - Plus a small fraction of UV-B (0.31-0.32 μm) – responsible for sunburn
 - Widening of this UV-B window (due to ozone depletion) would have serious impacts on life
-
- Absorption of solar radiation by ozone also locally warms the atmosphere to a much higher temperature than would be possible if ozone was absent – hence the increase in T in the stratosphere
 - Hence in an atmosphere without free oxygen, and hence without ozone, the temperature would decrease with height until the thermosphere. There would be *no stratosphere*, and weather would be vastly different...

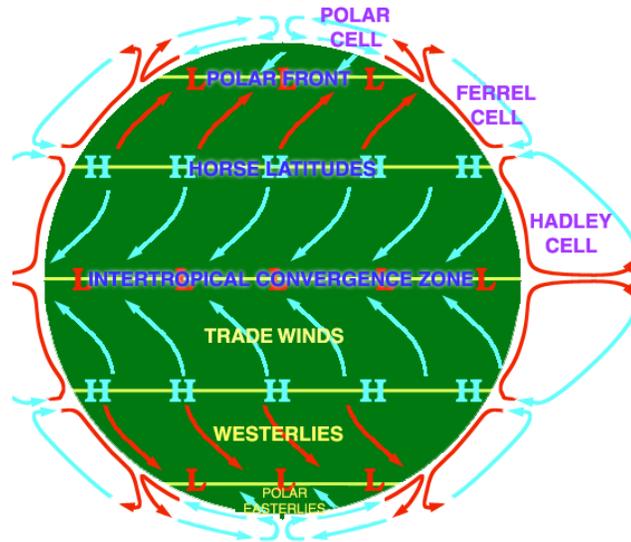
The Ozone Layer

OMI Total Ozone Sep 21, 2008

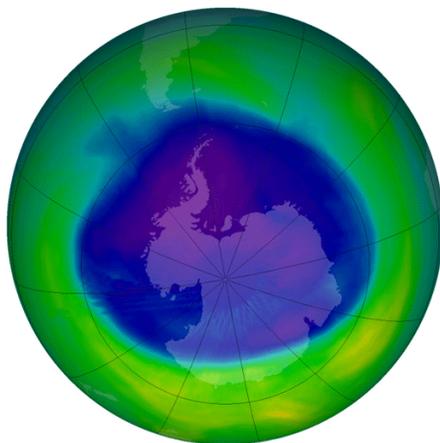


- Most of the ozone production occurs in the tropical upper stratosphere and mesosphere, but the ozone maximum occurs at mid-latitudes

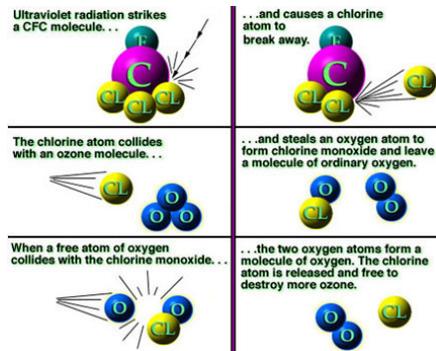
Atmospheric circulation



Ozone hole



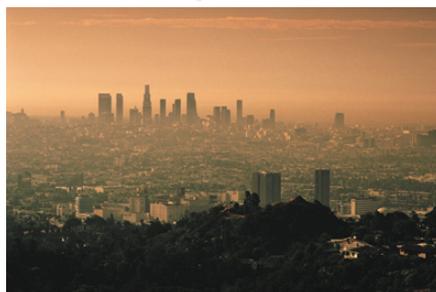
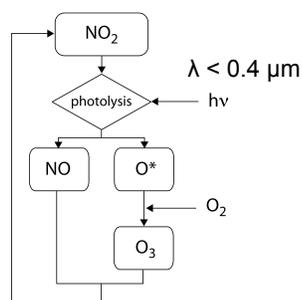
Antarctic ozone hole on Sept 11, 2005
Observed by Ozone Monitoring Instrument (OMI)



- Ozone destruction peaks in the Spring, as UV radiation returns to the polar regions
- Catalyzed by the presence of CFC compounds (which supply chlorine), and by polar stratospheric clouds (PSCs) at very cold temperatures

Ozone is not just in the stratosphere..

- The UV-A radiation that reaches the troposphere is a key player in tropospheric chemistry
- *Photochemical reactions* involving *unburned fuel vapors* (organic molecules) and *nitrogen oxides* (produced at high temperatures in car engines) produce ozone in surface air (**tropospheric ozone**)
- Ozone is good in the stratosphere, but a hazard in the troposphere (it is a strong oxidant that attacks organic substances, such as our lungs)
- Ozone is a major ingredient of **photochemical smog**



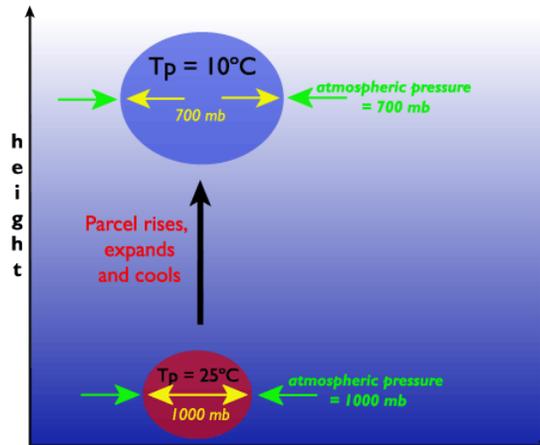
Los Angeles: sunshine (UV) + cars + trapped air = smog

Atmospheric stability



Adiabatic cooling

- As an air parcel rises, it will **adiabatically expand and cool**
- **Adiabatic:** temperature changes solely due to expansion or compression (change in molecular energy), no heat is added to or removed from the parcel

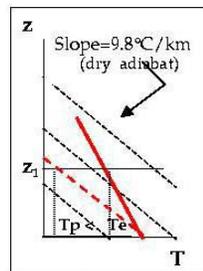


Atmospheric stability

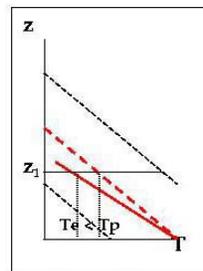
Dry air – no condensation
 Dry adiabatic lapse rate = $\sim 10^\circ\text{C km}^{-1}$

Stability of Dry Air

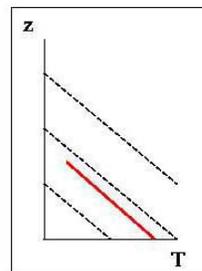
In the diagrams below solid red line is the environmental lapse rate, and dashed red line is the dry adiabat for a parcel rising from the surface in that environment. T_p and T_e are the parcel and environment temperature at level Z_1 .



STABLE



UNSTABLE



NEUTRAL

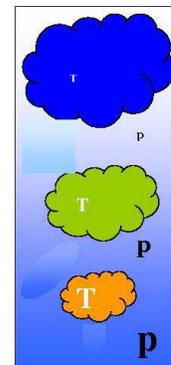
Atmospheric stability is assessed by comparing the environmental lapse rate with the adiabatic lapse rate

Rising air parcel encounters decrease in surrounding pressure and expands.

Expansion is adiabatic and implies a decrease in parcel temperature.

The dry adiabatic lapse rate:

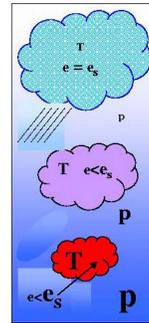
$\Gamma_d = 9.8^\circ\text{C/kilometer}$



Atmospheric stability

Moist air – condensation provides heat
 Moist adiabatic lapse rate = $\sim 6.5^{\circ}\text{C km}^{-1}$

STABILITY OF MOIST AIR

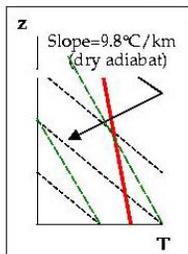


Rising air parcel includes water vapor.
 Adiabatic cooling reduces its ability to contain water.
 Vapor condenses and releases latent heat.
 Cooling rate of air is reduced.
 Moist adiabatic lapse rate:

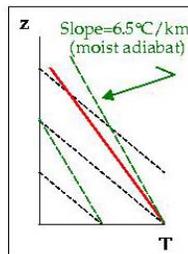
$\Gamma_{\text{moist}} = 6.5^{\circ}\text{C/kilometer}$

Stability of Saturated Air

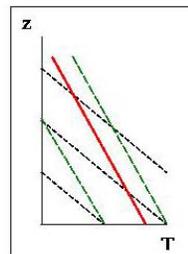
In the diagrams below solid red line is the environmental lapse rate.



STABLE



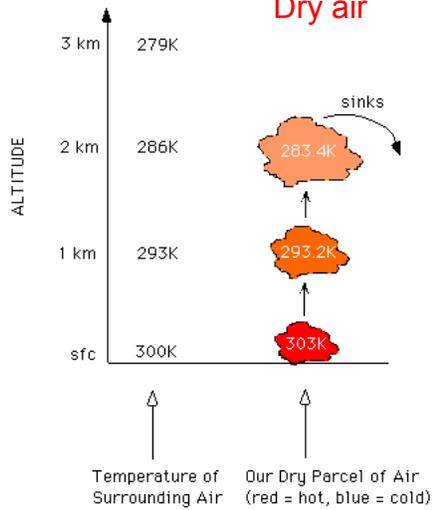
UNSTABLE



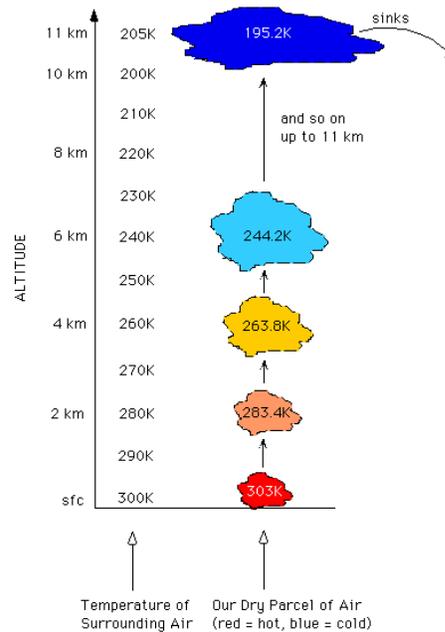
NEUTRAL

Atmospheric stability

Dry air

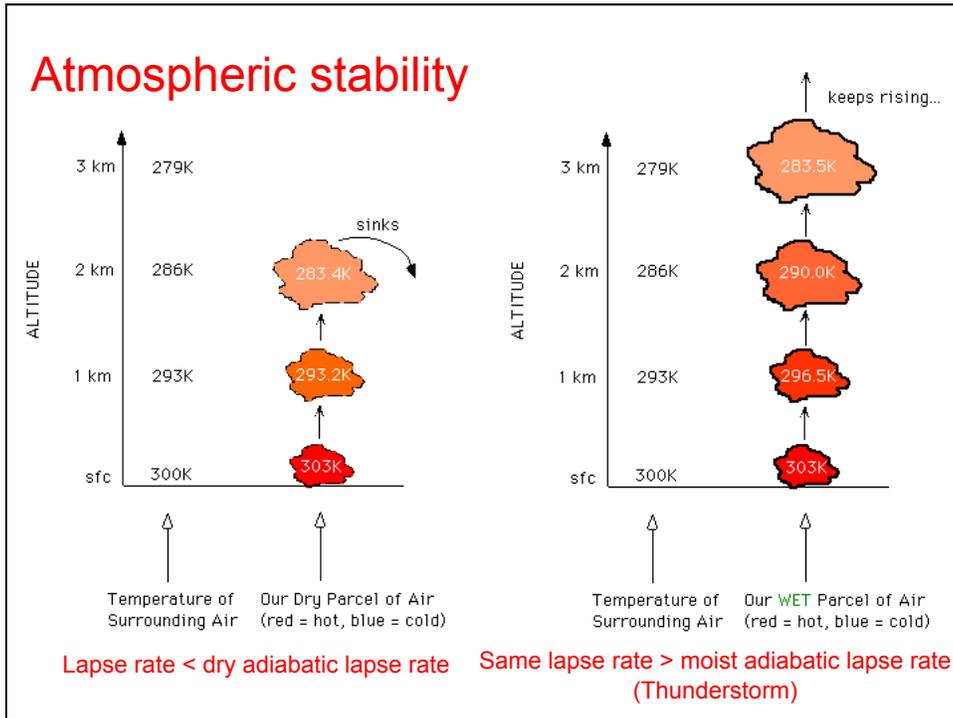


Lapse rate < adiabatic lapse rate

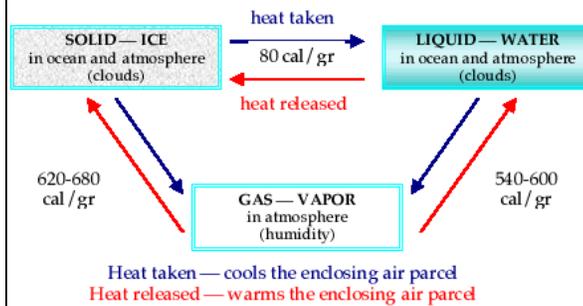


Lapse rate > adiabatic lapse rate

Atmospheric stability



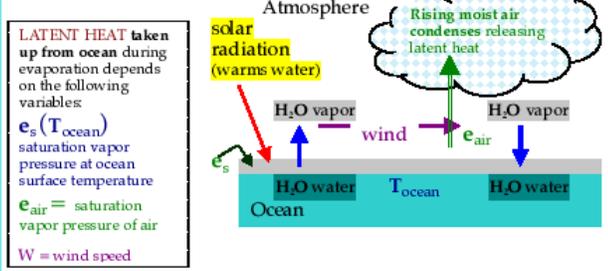
Phases and transitions



Water in the atmosphere

- There are about 13 million million tons of water vapor in the atmosphere (~0.33% by weight)
- In gas phase – absorbs longwave radiation and stores latent heat
- Responsible for ~70% of atmospheric absorption of radiation
- In liquid and solid phase – reflects and absorbs solar radiation

Evaporation and Condensation

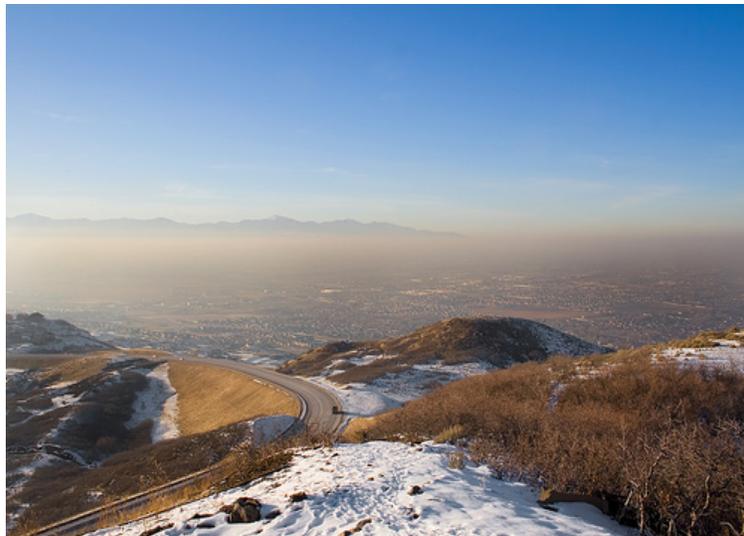


Temperature inversions



A temperature inversion occurs when a layer of cool air is trapped at ground level by an overlying layer of warm air, which can also trap pollutants. Many factors can lead to an inversion layer, such as temperatures that remain below freezing during the day, nighttime temperatures in the low teens to single digits, clear skies at night, and low wind levels.

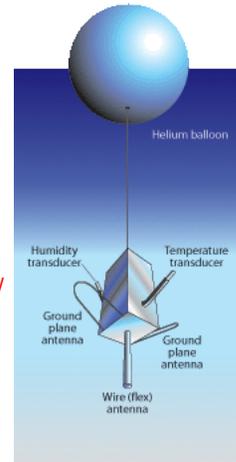
Pollution trapping



Salt Lake valley, Utah

Radiosondes

- A **radiosonde** is a package of instruments mounted on a weather balloon that measures various atmospheric parameters and transmits the data to a fixed receiver (sometimes called a *rawinsonde* if wind speed is measured)
- Measured parameters usually include: **pressure, altitude, latitude/longitude, temperature, relative humidity and wind speed/direction**
- The maximum altitude to which the helium or hydrogen-filled balloon ascends is determined by the diameter and thickness of the balloon
- At some pressure, the balloon expands to the extent that it bursts (maybe ~20 km) – the instrument is usually not recovered
- Worldwide there are more than 800 radiosonde launch sites
- Radiosonde launches usually occur at 0000 and 1200 UTC
- ‘Snapshot’ of the atmosphere for modeling and forecasting

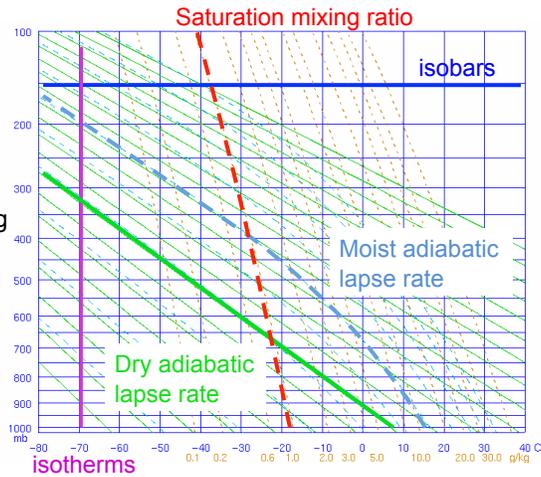


Radiosonde soundings

- **INFORMATION OBTAINED FROM RAOB SOUNDINGS:**
- The radiosonde transmits temperature and relative humidity data at each pressure level. Winds aloft are determined from the precision radar tracking of the instrument package. The altitudes of these levels are calculated using an equation (*the hypsometric equation*) that relates the vertical height of a layer to the mean layer temperature, the humidity of the layer and the air pressure at top and bottom of the layer. Significant levels where the vertical profiles of the temperature or the dew point undergo a change are determined from the sounding. The height of the troposphere and stability indices are calculated.
- A plot of the vertical variations of observed weather elements made above a station is called a **sounding**.
- The plots of the air temperature, dew point and wind information as functions of pressure are generally made on a specially prepared thermodynamic diagram.

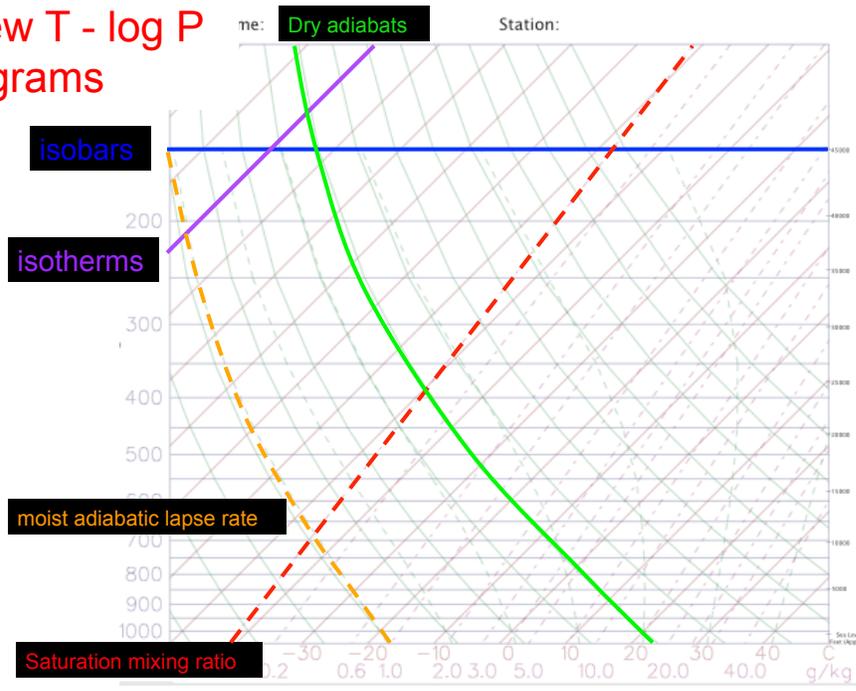
Stüve diagrams

- A **Stüve diagram** is one of four thermodynamic diagrams used in weather data analysis and forecasting
- **Radiosonde temperature and dew point data** may be plotted on these diagrams to assess convective stability. Wind barbs may be plotted next to the diagram to indicate the vertical wind profile.



- Straight lines show the 3 primary variables: pressure, temperature and potential temperature
- **Isotherms** are straight and vertical, **isobars** are straight and horizontal
- Dry adiabats are straight and inclined 45° to the left; moist adiabats are curved
- **Dew point**: temperature to which air must be cooled (at constant pressure) for water vapor to condense to water (i.e. for clouds to form)

Skew T - log P diagrams



Wind barbs

Wind Speed & Direction

■	Calm	
┆┆	5 knots	
┆┆┆	10 Knots	
┆┆┆┆	15 Knots	
┆┆┆┆┆	20 Knots	
┆┆┆┆┆┆	50 Knots	
┆┆┆┆┆┆┆	65 Knots	

Example Wind Barb



**Read as:
Northwest Wind
at 25 Knots**

1 knot = 0.514 m s⁻¹

Barbs point to direction wind is coming from.
(1 Knot = 1.15 mph)

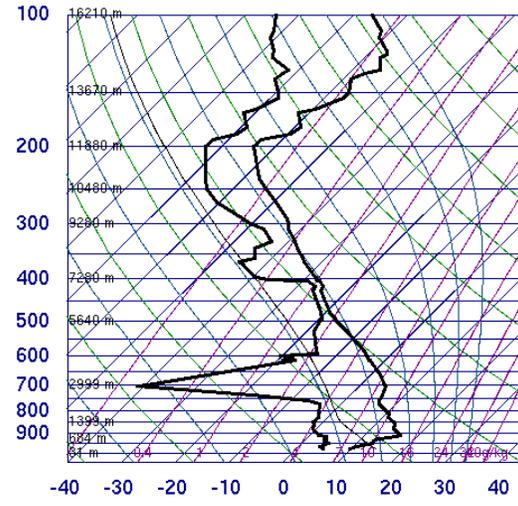
Radiosonde soundings



Currently, 70 RAOB stations are distributed across the continental USA
<http://weather.uwyo.edu/upperair/sounding.html>

Radiosonde sounding – Green Bay

72645 GRB Green Bay



SLAT 44.48
 SLON -88.13
 SELV 214.0
 SHOW 4.96
 LIFT 9.08
 LFTV 9.19
 SWET 181.8
 KINX -16.7
 CTOT 14.30
 VTOT 29.30
 TOTL 43.60
 CAPE 0.00
 CAPV 0.00
 CINS 0.00
 CINV 0.00
 EQLV -9999
 EQTV -9999
 LFCT -9999
 LFCV -9999
 BRCH 0.00
 BRCV 0.00
 LCLT 275.5
 LCLP 841.1
 MLTH 289.5
 MLMR 5.45
 THCK 5609.
 PWAT 14.96

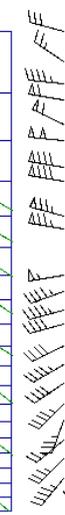
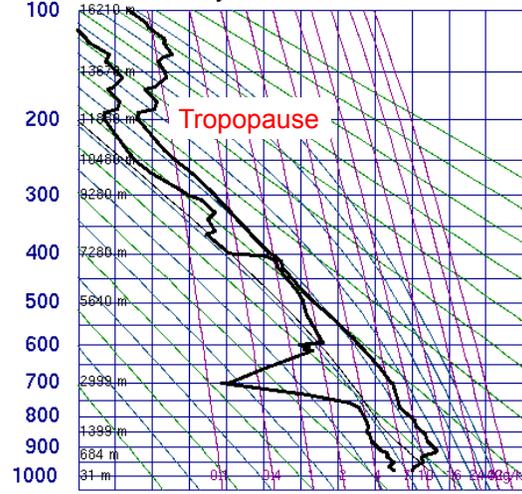
12Z 31 Mar 2010

University of Wyoming

Skew-T

Radiosonde sounding – Green Bay

72645 GRB Green Bay



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12Z 31 Mar 2010

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Stüve

Ideal Gas Law

- The equation of state of an **ideal gas** – most gases are assumed to be ideal

$$PV = nRT$$

$$PV = NkT \quad k = \frac{R}{N_A}$$

- P** = pressure (Pa), **V** = volume taken up by gas (m³), **n** = number of moles, **R** = gas constant (8.314 J mol⁻¹ K⁻¹), **T** = temperature (K)
- k** = Boltzmann constant (1.38×10⁻²³ J K⁻¹), **N** = number of molecules, **N_A** = Avogadro constant (6.022×10²³ molecules mol⁻¹)

Values of the Universal Gas Constant R

$$R = 0.08205 \text{ (l} \cdot \text{atm)/(mole} \cdot \text{K)}$$

$$= 8.205 \times 10^{-5} \text{ (m}^3 \cdot \text{atm)/(mole} \cdot \text{K)}$$

$$= 82.05 \text{ (cm}^3 \cdot \text{atm)/(mole} \cdot \text{K)}$$

$$= 1.99 \times 10^{-3} \text{ kcal/(mole} \cdot \text{K)}$$

$$= 8.314 \text{ (J)/(mole} \cdot \text{K)}$$

$$= 1.987 \text{ (cal)/(mole} \cdot \text{K)}$$

$$= 62,358 \text{ (cm}^3 \cdot \text{torr)/(mole} \cdot \text{K)}$$

$$= 62,358 \text{ (cm}^3 \cdot \text{mm Hg)/(mole} \cdot \text{K)}$$

- Neglects molecular size and intermolecular attractions
- States that volume changes are inversely related to pressure changes, and linearly related to temperature changes
- Decrease pressure at constant volume = temperature must decrease (**adiabatic cooling**)

Ideal gases

- Standard temperature and pressure (STP): varies with organization
- Usually **P = 101.325 kPa (1 atm)** and **T = 273.15 K (0°C)**
- Sometimes P = 101.325 kPa and T = 293.15 K (20°C)

At STP (101.325 kPa, 273.15 K) each cm³ of an ideal gas (e.g., air) contains **2.69×10¹⁹ molecules (or 2.69×10²⁵ m⁻³)**

- This number is the **Loschmidt constant** and can be derived by rearranging the ideal gas law equation:

$$N = \frac{PV}{kT}$$

- At higher altitudes, pressure is lower and the number density of molecules is lower

- Mean molar mass of air = 0.02897 kg mol⁻¹ (air is mostly N₂)**

Quantification of gas abundances

• The concentration (c) of a gas is the amount of gas in a volume of air: $c = \frac{\text{Amount of gas}}{\text{Volume of air}}$

• 'Amount' could be mass, number of molecules, or number of moles

• Common units are *micrograms per m³* ($\mu\text{g m}^{-3}$) or *molecules per m³* – the latter is the **number density** of the gas. Partial pressures of gases are also sometimes used.

• We also define the **mixing ratio of a gas**: $x = \frac{\text{Amount of gas}}{\text{Amount of air + gas}}$

• 'Amount' could be volume, mass, number of molecules, or number of moles. In atmospheric chemistry, it is usually volume.

• Example of a mixing ratio in *parts per million by volume* (ppmv; sometimes just written as ppm):

$$x_v = \frac{\text{Unit volume of gas}}{10^6 \text{ unit volumes of (air + gas)}} \text{ppmv}$$

Quantification of gas abundances

• Smaller mixing ratios are given in parts per billion (ppbv) or parts per trillion (pptv):

$$x_v = \frac{\text{Unit volume of gas}}{10^9 \text{ unit volumes of (air + gas)}} \text{ppbv}$$

• Mixing ratios can also be expressed by mass; the default is usually volume (i.e. ppb usually implies ppbv)

$$x_v = \frac{\text{Unit volume of gas}}{10^{12} \text{ unit volumes of (air + gas)}} \text{pptv}$$

• For an ideal gas the volume mixing ratio is equal to the **molar mixing ratio (x_m)** or mole fraction (this is the SI unit for mixing ratios):

$$x_m = \frac{\text{Moles of gas}}{\text{Moles of (air + gas)}}$$

• So micromole per mole, nanomole per mole and picomole per mole are equivalent to ppmv, ppbv and pptv, respectively

• Remember the conversion factor! (ppmv = 10^6 , ppbv = 10^9 , pptv = 10^{12} etc.)

• **MIXING RATIOS ARE INDEPENDENT OF TEMPERATURE AND PRESSURE**

• Concentrations, however, are not (they change when air is transported)

Vertical profile of ozone

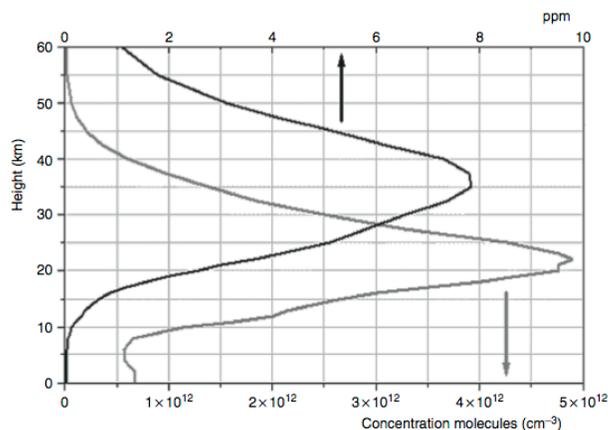


Fig. 2.2. Vertical profile of ozone in troposphere and stratosphere (US Standard Atmosphere), both in mixing ratio (in ppm or $\mu\text{mole per mole}$), peaking at about 36 km and concentration (molecules per cm^3), peaking at about 22 km

Vertical profiles of atmospheric constituents look different depending on the abundance units used

Conversion of abundance units

- For a gas i , the conversion between *number density* c_n (in molecules cm^{-3}) and *mass concentration* c_m (in grams cm^{-3}) is:

- M_i = molecular weight of species i (grams mol^{-1})
- N_A = Avogadro constant (6.022×10^{23} molecules mol^{-1})

$$(c_m)_i = \frac{c_n M_i}{N_A}$$

- Hence this conversion depends on the molecular mass of the gas

- Conversion from *number density* c_n (in molecules cm^{-3}) to volume mixing ratio:

$$x_v = c_n \frac{V}{N_A} \text{ or } c_n = x_v \frac{N_A}{V}$$

- V = molar volume (cm^3) for the pressure and temperature at which the number density was measured

- At STP, $V = 22414 \text{ cm}^3 \text{ mole}^{-1}$. For arbitrary T and P , use the ideal gas law:

$$x_v = c_n \frac{RT}{PN_A} = c_m \frac{RT}{PM_i}$$

Abundance units for trace gases

Table 2.2. The different units for the abundance of atmospheric trace gases ($T = 293.15\text{K}$, $p = 101325\text{ Pa}$)

Trace gas	Molecular mass g/mole	Mixing ratio x_v ppb	Number density c_n molec. cm^{-3}	Concentration c_m $\mu\text{g m}^{-3}$
O ₃	48.00	1.000	$2.503 \cdot 10^{10}$	1.995
		0.501	$1.254 \cdot 10^{10}$	1.000
SO ₂	64.06	1.000	$2.503 \cdot 10^{10}$	2.662
		0.376	$0.941 \cdot 10^{10}$	1.000
NO	30.01	1.000	$2.503 \cdot 10^{10}$	1.251
		0.799	$2.000 \cdot 10^{10}$	1.000
NO ₂	46.01	1.000	$2.503 \cdot 10^{10}$	1.912
		0.532	$1.33 \cdot 10^{10}$	1.000
CH ₄	16.04	1.000	$2.503 \cdot 10^{10}$	0.667
		1.500	$3.755 \cdot 10^{10}$	1.000
CH ₂ O	30.03	1.000	$2.503 \cdot 10^{10}$	1.248
		0.801	$2.005 \cdot 10^{10}$	1.000
CO	28.01	1.000	$2.503 \cdot 10^{10}$	1.164
		0.859	$2.150 \cdot 10^{10}$	1.000

Spectroscopic remote sensing techniques give results in number density, not mixing ratios (recall Beer's Law)

Unit conversion example

- The Hong Kong Air Quality Objective for ozone is $240 \mu\text{g m}^{-3}$
- The U.S. National Ambient Air Quality Standard for ozone is 120 ppb
- Which standard is stricter at the same temperature (25°C) and pressure (1 atm)?

$$x_v = c_m \frac{RT}{PM_i}$$

- **REMEMBER TO USE CONSISTENT (SI) UNITS**

- We need to convert $240 \mu\text{g m}^{-3}$ to a mixing ratio in ppb

- On the right hand side we have:

$$x_v = c_m \frac{8.314 \text{ J K}^{-1} \text{ mol}^{-1} \times 298 \text{ K}}{101325 \text{ Pa} \times 48 \text{ g mol}^{-1}}$$

- So we need c_m in g m^{-3}

- Which is $240 \times 10^{-6} \text{ g m}^{-3}$

$$= c_m \frac{8.314 \text{ J K}^{-1} \text{ mol}^{-1} \times 298 \text{ K}}{101325 \text{ J m}^{-3} \times 48 \text{ g mol}^{-1}}$$

- This gives $x_v = 1.22 \times 10^{-7} \times 10^9$ nanomoles per mole = 122 ppb

Column density

- Another way of expressing the abundance of a gas is as **column density** (S_n), which is the integral of the number density along a path in the atmosphere

$$S_n = \int_{\text{path}} c_n(s) ds$$

- The unit of column density is **molecules cm^{-2}**
- The integral of the mass concentration is the **mass column density** S_m (typical units are $\mu\text{g cm}^{-2}$)

$$S_m = \int_{\text{path}} c_m(s) ds$$

- Usually the path is the entire atmosphere from the surface to infinity, called the **total column**, giving the **total (vertical) atmospheric column density**, V :

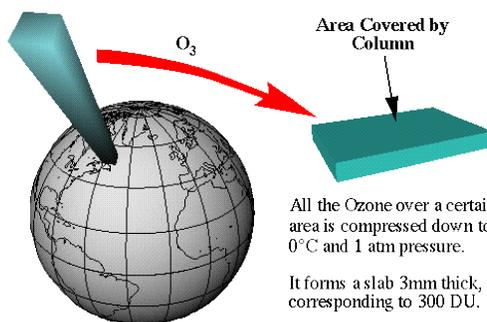
$$V = \int_0^{\infty} c_n(z) dz$$

Dobson Units

- A **Dobson Unit [DU]** is a unit of column density used in ozone research, and in measurements of SO_2
- Named after G.M.B. Dobson, one of the first scientists to investigate atmospheric ozone (~1920 – 1960)

- The illustration shows a column of air over Labrador, Canada. The total amount of ozone in this column can be conveniently expressed in Dobson Units (as opposed to typical column density units).

- If all the ozone in this column were to be compressed to STP (0°C , 1 atm) and spread out evenly over the area, it would form a slab ~3 mm thick



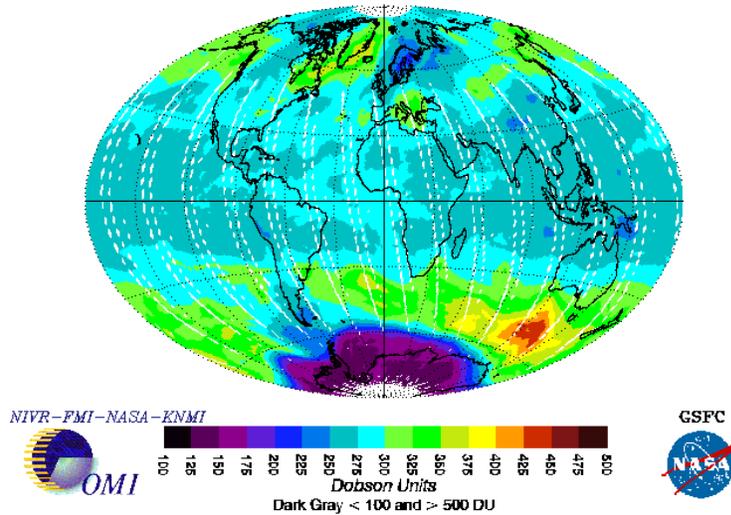
- **1 Dobson Unit (DU)** is defined to be **0.01 mm thickness of gas at STP**; the ozone layer represented above is then ~300 DU (NB. 1 DU also = 1 milli atm cm)

Dobson Units

- So 1 DU is defined as a 0.01 mm thickness of gas at STP
- We know that at STP (101.325 kPa, 273.15 K) each cm^3 of an ideal gas (e.g., air, ozone, SO_2) contains 2.69×10^{19} molecules (or $2.69 \times 10^{25} \text{ m}^{-3}$)
- So a 0.01 mm thickness of an ideal gas contains:
 $2.69 \times 10^{19} \text{ molecules cm}^{-3} \times 0.001 \text{ cm} = 2.69 \times 10^{16} \text{ molecules cm}^{-2} = 1 \text{ DU}$
- Using this fact, we can convert column density in Dobson Units to mass of gas, using the cross-sectional area of the measured column at the surface
- For satellite measurements, the latter is represented by the 'footprint' of the satellite sensor on the Earth's surface

The Ozone Layer

OMI Total Ozone Sep 21, 2008



- Map shows total column ozone in DU

